

# RECENT RESULTS ON COSMIC REIONIZATION FROM PAPER

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Jonathan Pober, UC Berkeley

Reionization in the Red Centre

07/17/13

# The Donald C. Backer Precision Array for Probing the Epoch of Reionization

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- Chris Carilli
- Pat Klima
- Nicole Gugliucci
- Chaitali Parashare

## UC Berkeley

- Aaron Parsons
- Jonathan Pober
- Zaki Ali
- Dave DeBoer
- Dave MacMahon
- Adrian Liu
- Gilbert Hsyu

## U. Pennsylvania

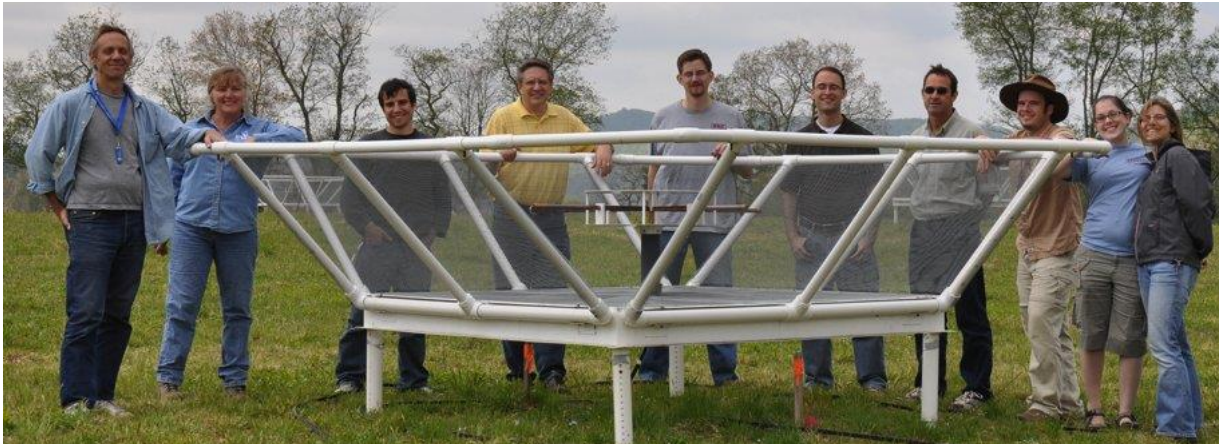
- James Aguirre
- David Moore

## Arizona State U.

- Daniel Jacobs

## South Africa

- Carel van der Merwe
- Jason Manley
- William Walbrugh



# Outline

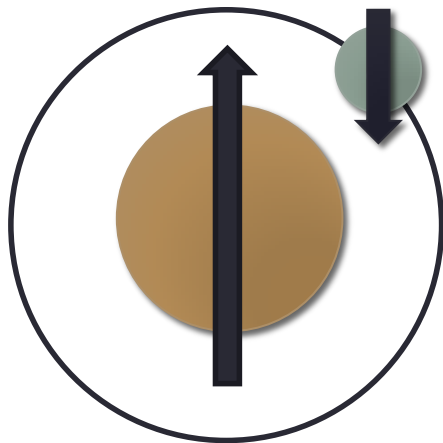
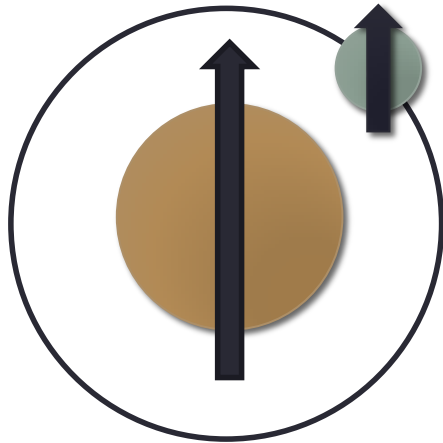
- 21cm Cosmology and the Epoch of Reionization
- The PAPER Experiment Design
- The PAPER Approach (explained graphically)
- Recent Results from PAPER
  - Measurements of foregrounds
  - Constraints on the EoR Power Spectrum
- Future Prospects and Conclusions

# 21CM COSMOLOGY

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Scientific Motivation and Techniques

# Hydrogen



- The most abundant element in the universe
  - 75% of all baryons by mass
- Ionization potential of 13.6 eV
- Hyperfine splitting energy differential of  $5.9 \times 10^{-6}$  eV
  - $\nu = 1420$  MHz
  - $\lambda = 21$  cm
  - $T = 0.068$  K
- Describe relative population of hyperfine state with spin temperature:

$$\frac{n_1}{n_0} = \frac{g_1}{g_0} e^{(-T^*/T_S)}$$

# Fluctuations

- Spatial variations in  $T_s$ ,  $x_{\text{HI}}$ , and  $\delta$  all source brightness temperature fluctuations around the global signal
- Describe spatial fluctuations in Fourier space with power spectrum

## Epoch of Reionization

$$dT_b \approx 9 x_{\text{HI}} (1+d)(1+z)^{1/2} \left[ 1 - \frac{T_g(z)}{T_s} \frac{H(z)/(1+z)}{dv_{\parallel}/dr_{\parallel}} \right] mK$$

- UV photons from first galaxies reionize intergalactic hydrogen
- 21cm can measure:
  - Duration and timing of EoR
  - Clustering of ionizing sources

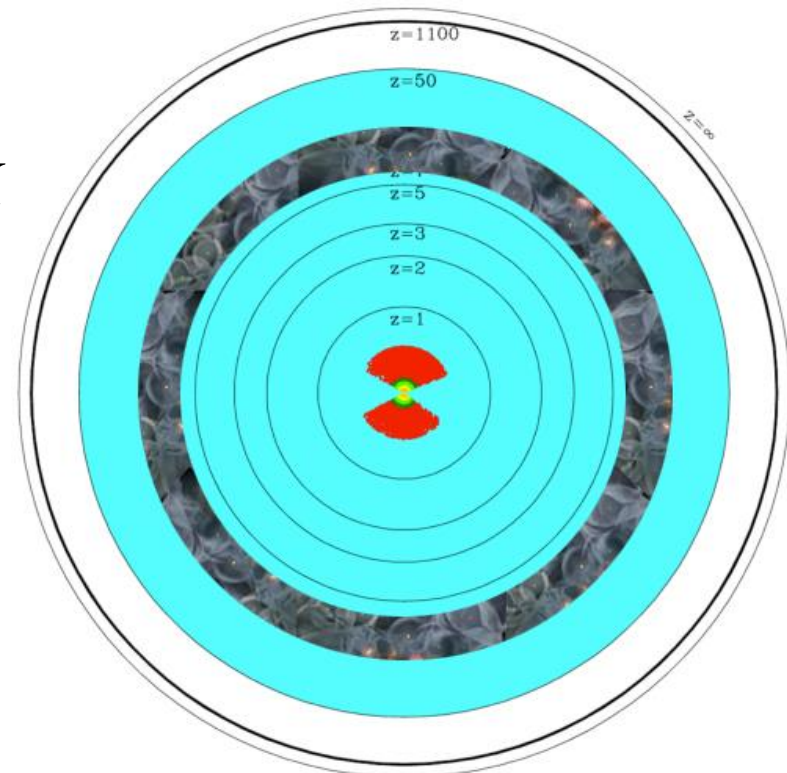
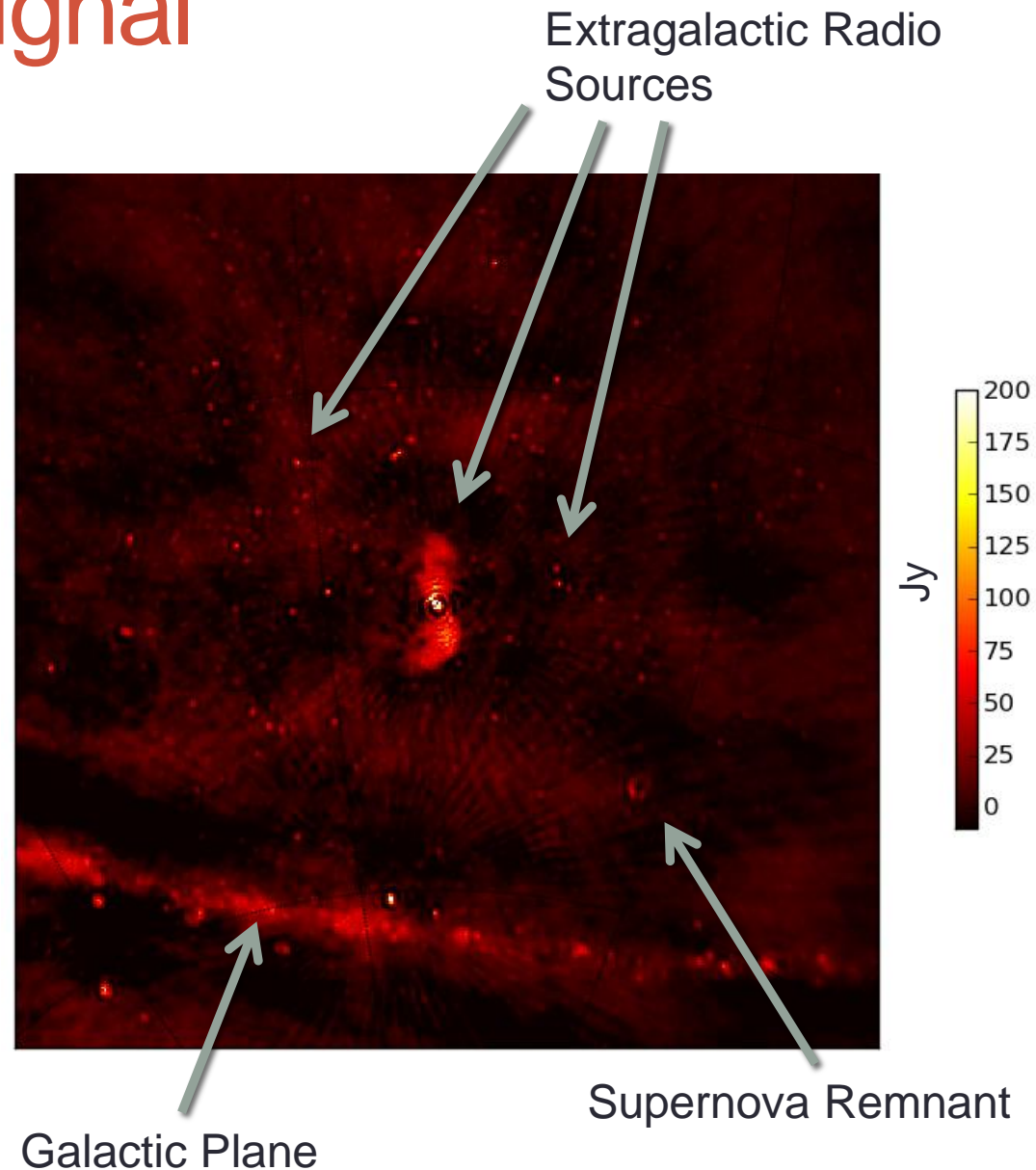


Figure adapted from Mao et al. (2008), Poldvin illustration in Scientific American

# Detecting the Signal

- Signal is faint
  - Long integrations and large collecting areas required
- Foregrounds are orders of magnitude brighter
  - Separate from 21cm signal using **spectral smoothness**

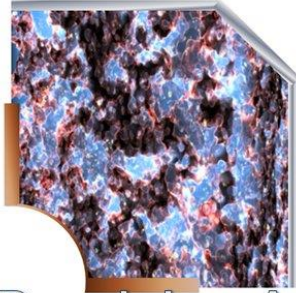


# THE PAPER EXPERIMENT

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Design, Status and Results





# PAPER

Precision Array Probing the Epoch of Reionization

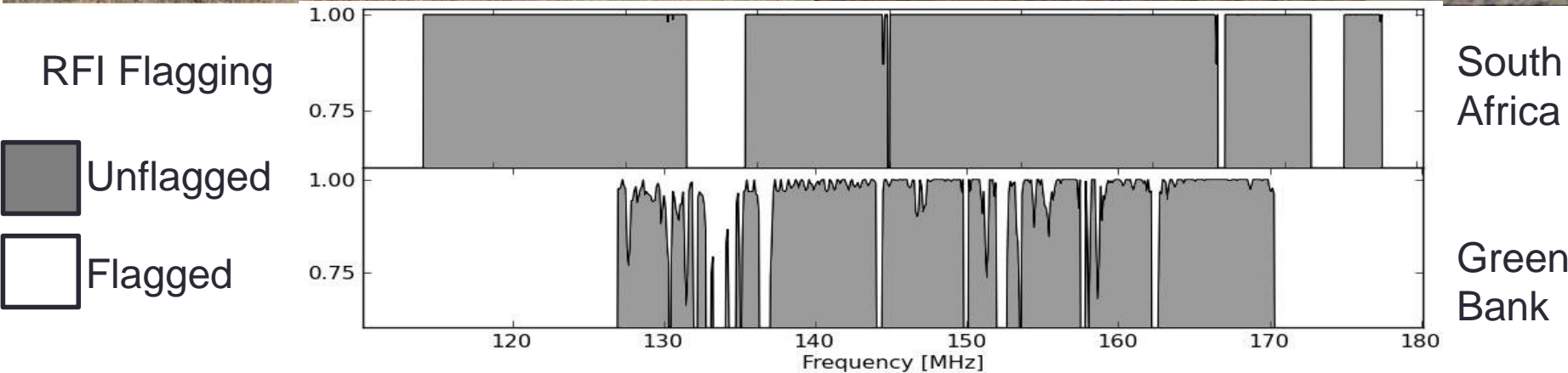
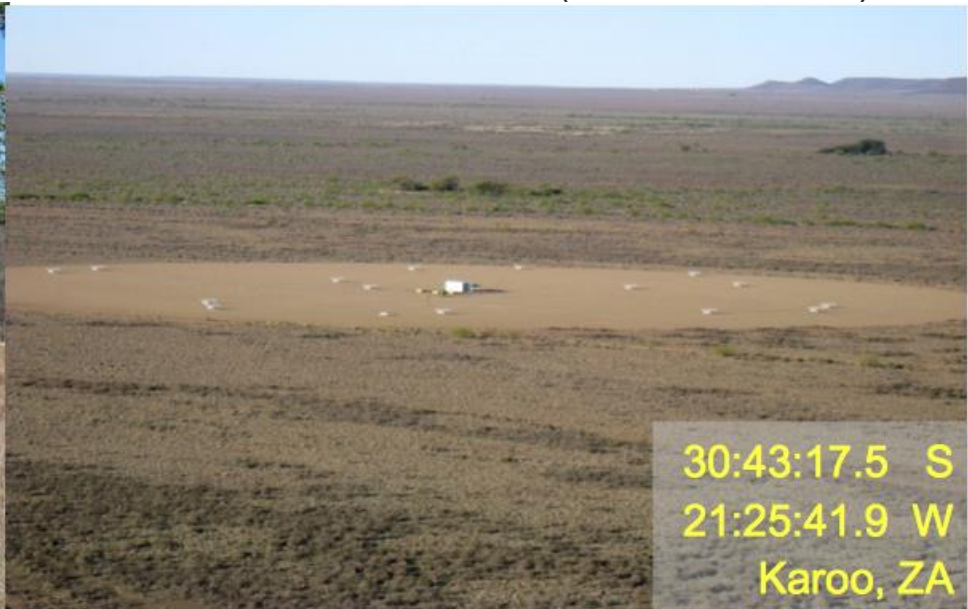
- Array of dual-polarization, non-tracking dipole elements
- Sensitivity from 110 to 180 MHz ( $z \approx 7-12$ ) in 1024+ frequency channels
- Full correlation of all dipoles with CASPER FPGA/GPU architecture
- Store all raw visibilities for later analysis



# Deployments

- PGB-4: 2004
- PGB-8: 2006
- PGB-16: 2008
- PGB-32: 2010

- **PSA-16: 2009**
- PSA-32: 2010
- PSA-64: 2011
- (PSA-128: 2013)

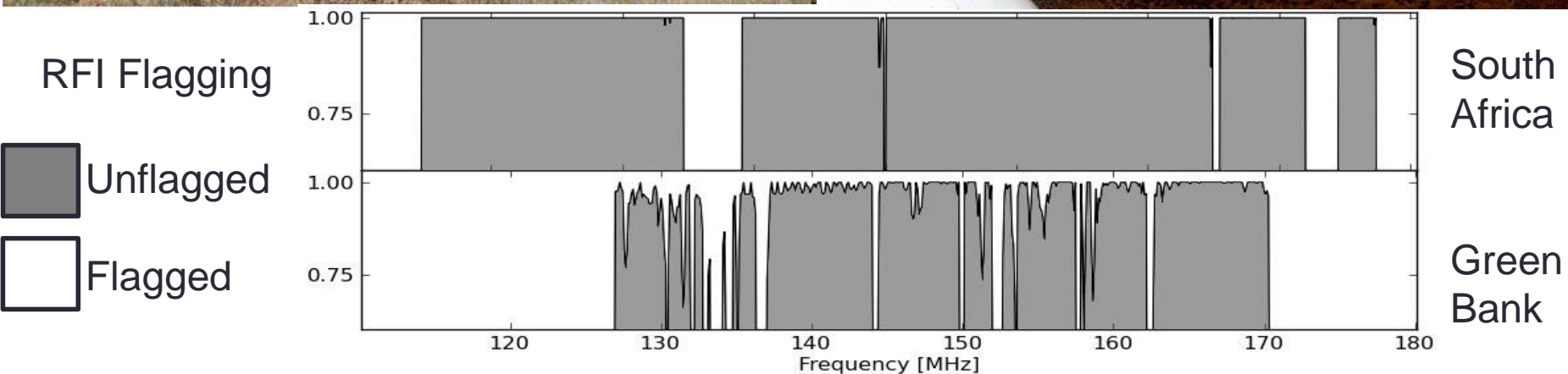




# Deployments

- PGB-4: 2004
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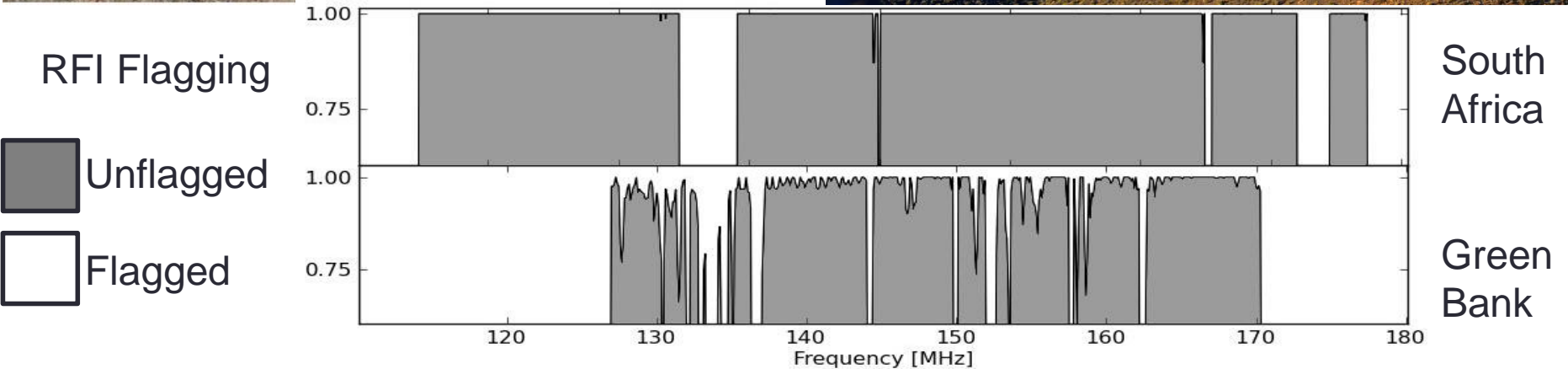
- PSA-16: 2009
- **PSA-32: 2010**
- PSA-64: 2011
- (PSA-128: 2013)



# Deployments

- PGB-4: 2004
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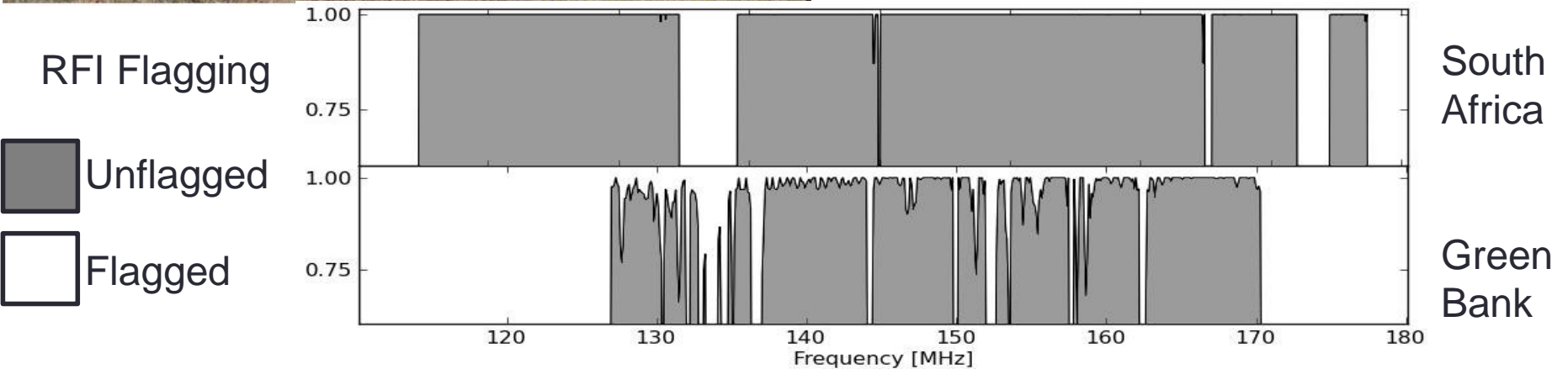




# Deployments

- PSA-16: 2009
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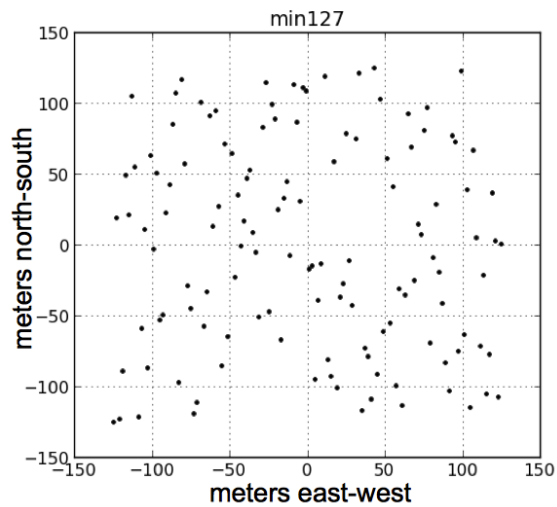
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# THE PAPER APPROACH

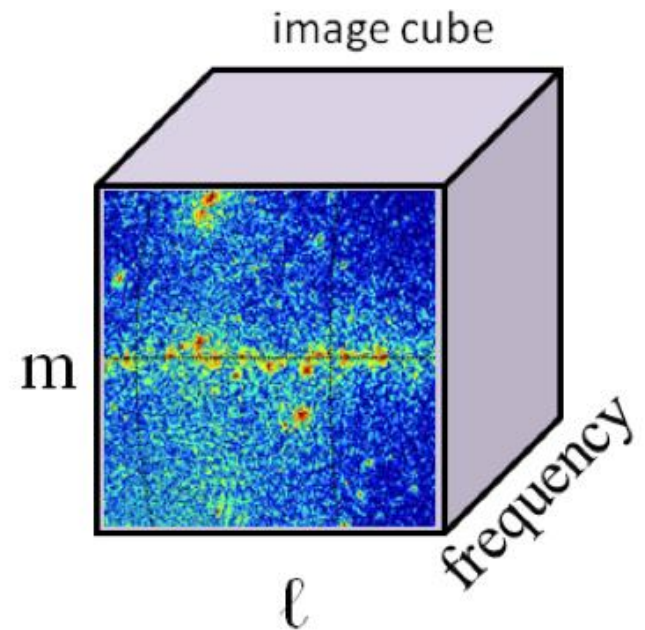
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Redundancy and the “Delay Spectrum”



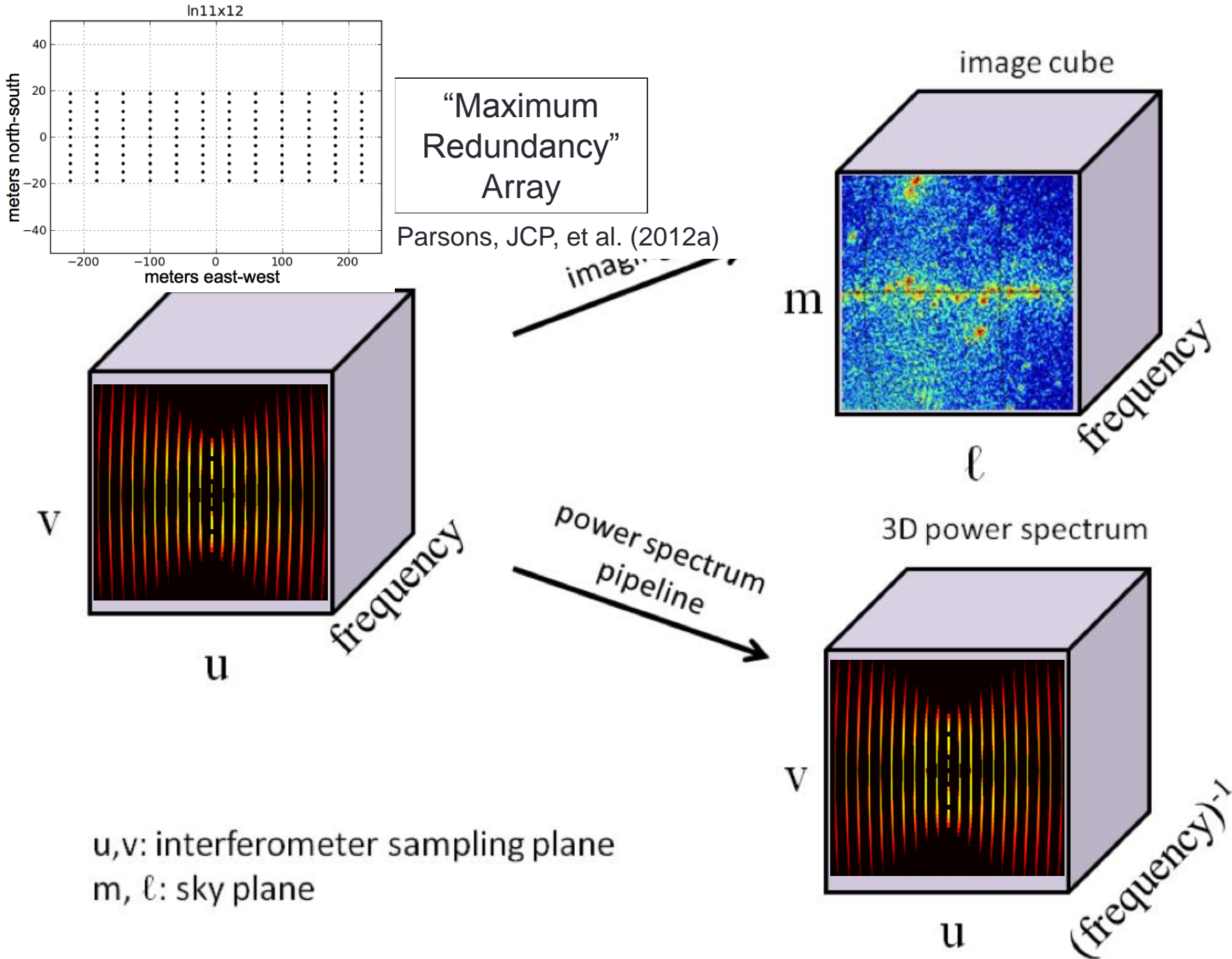
“Minimum  
Redundancy”  
Array

Parsons, JCP, et al. (2012a)



$u, v$ : interferometer sampling plane

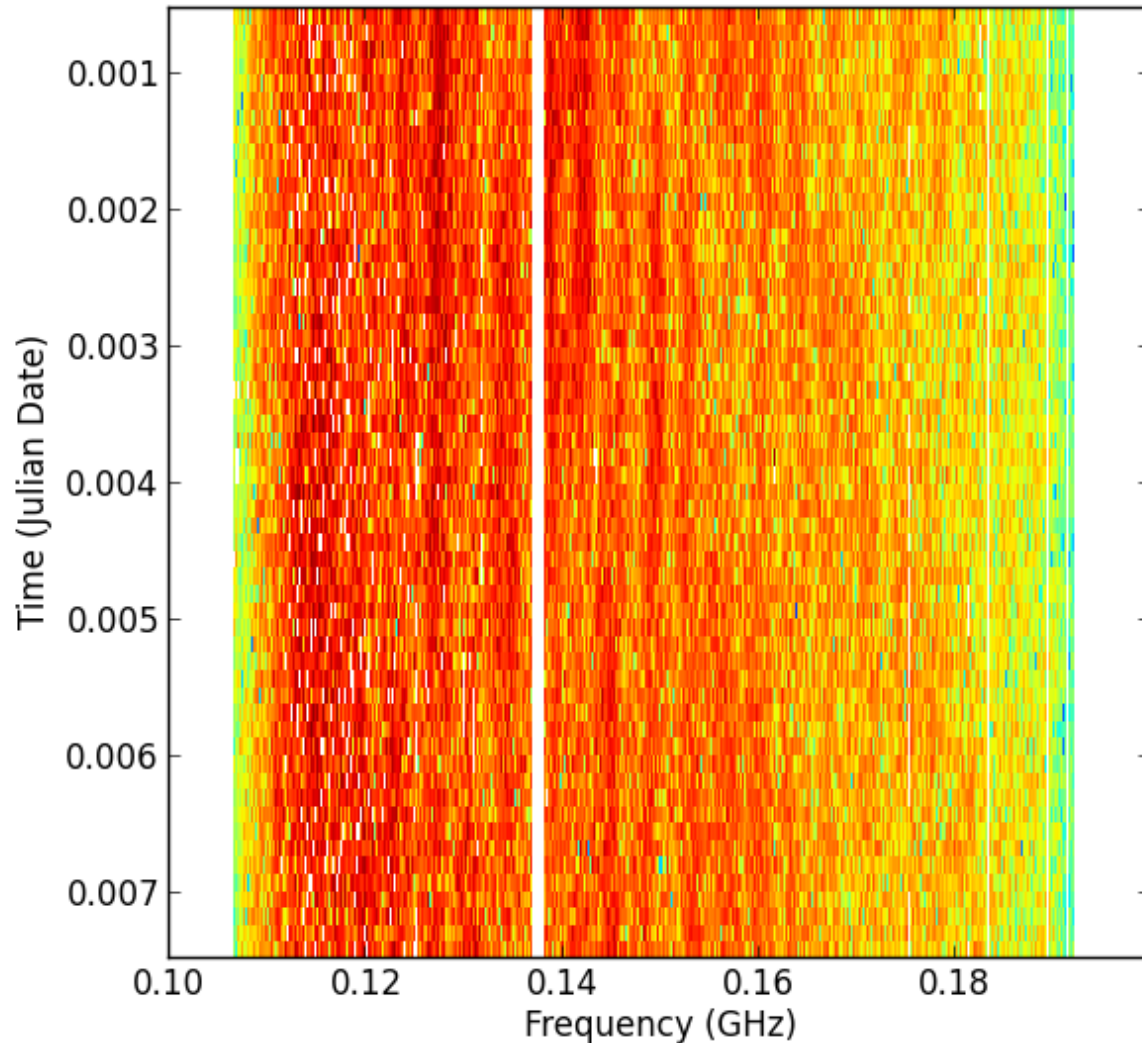
$m, \ell$ : sky plane





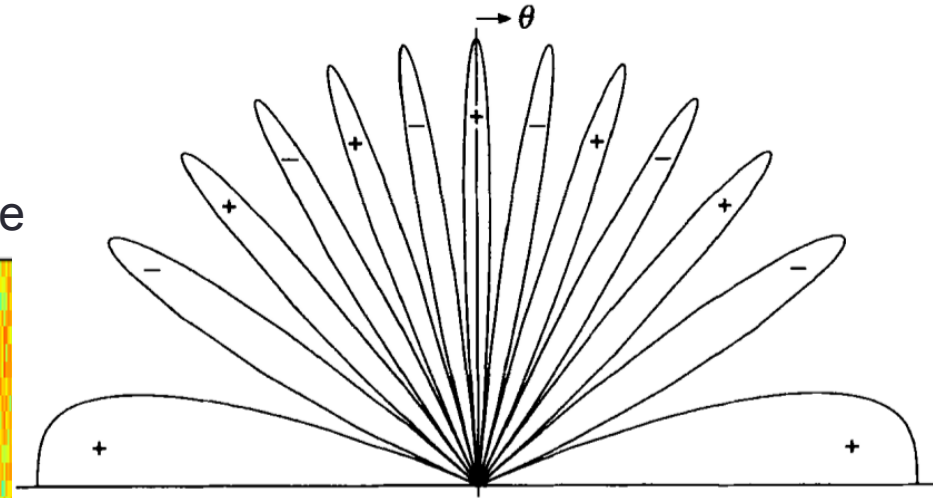
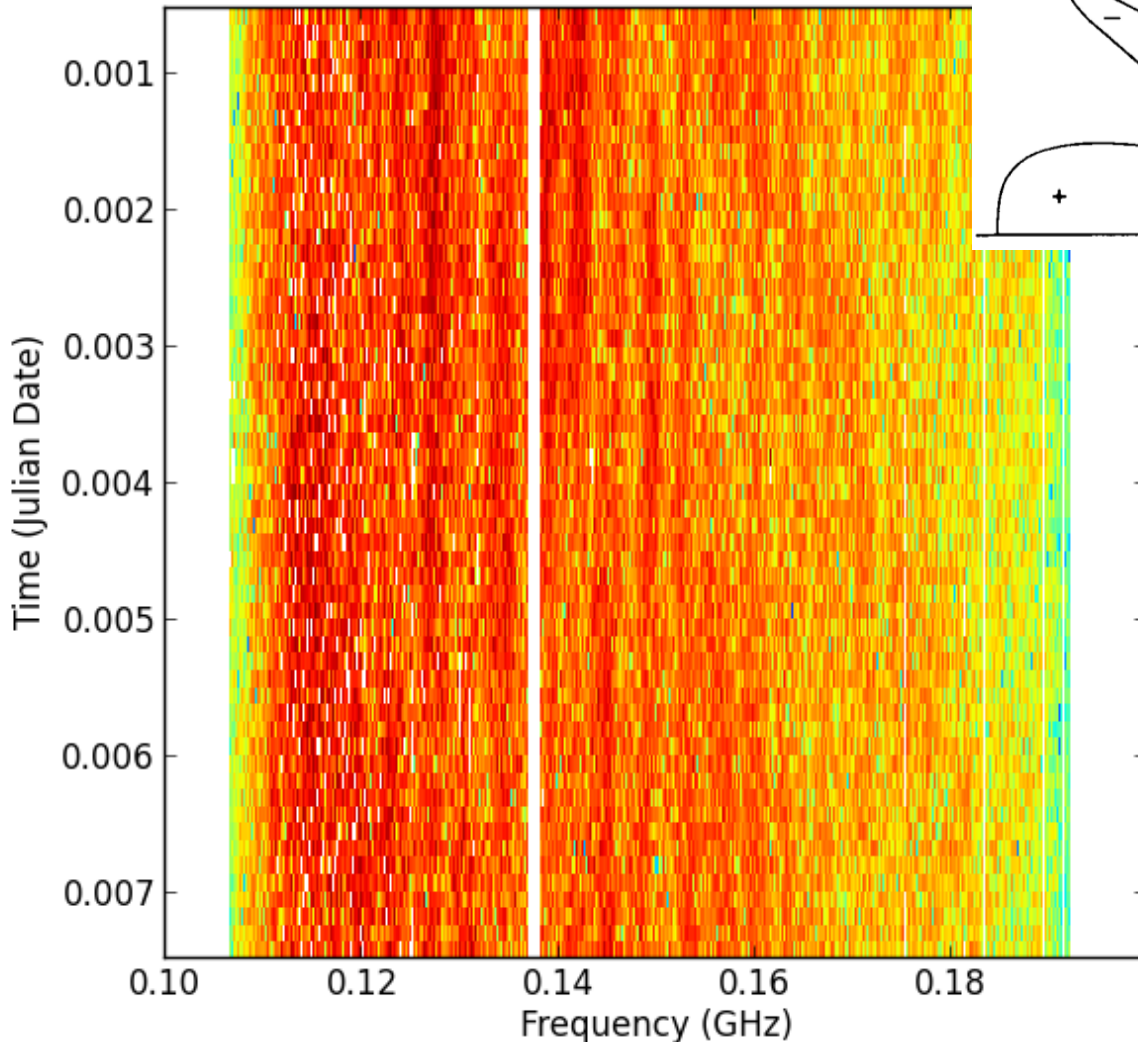
# A Pictorial View of the PAPER Pipeline

Visibility “Waterfall” of 1 Baseline



(Image: Thompson, Moran & Swenson)

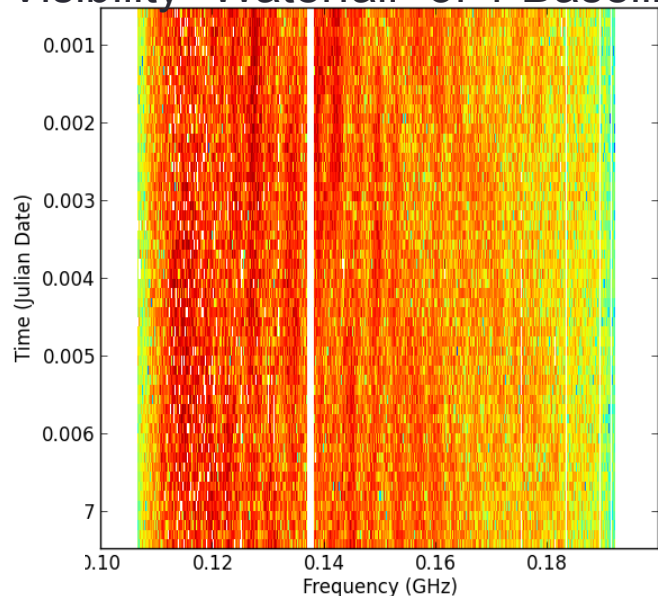
### Visibility “Waterfall” of 1 Baseline



- Why are there fringes vs. frequency?
- *Baseline length (in wavelengths) is frequency dependent*
- Why are there fringes vs. time?
- *Drift scanning telescope means sources move through fringe pattern*

# Delay/Delay-Rate Transforms (Parsons & Backer 2009)

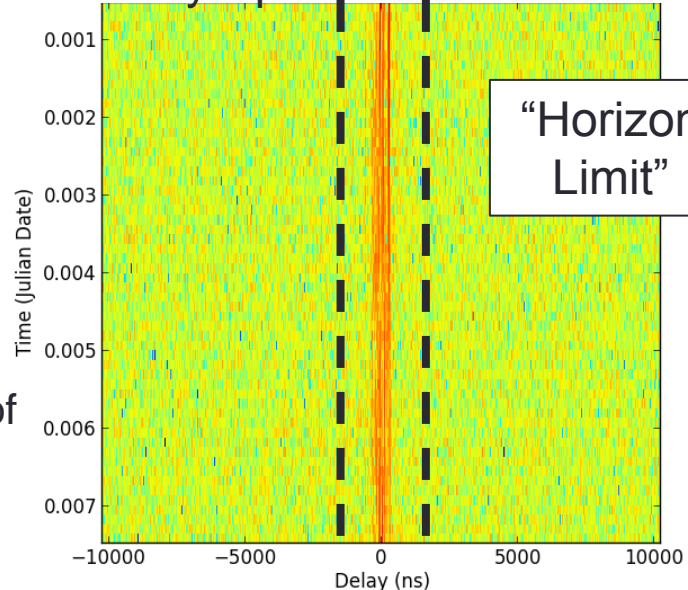
## Visibility “Waterfall” of 1 Baseline



Delay Transform

(Fourier Transform of Frequency-axis)

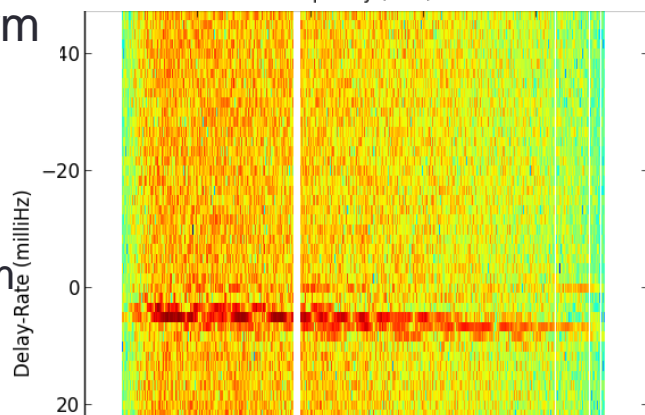
## Delay Spectrum of 1 Baseline



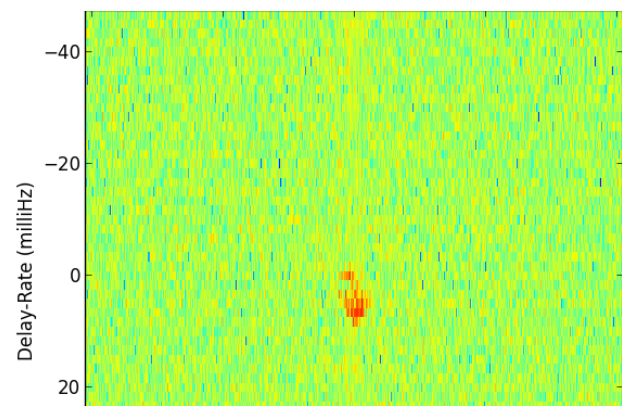
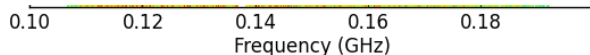
“Horizon Limit”

Fringe-Rate Transform

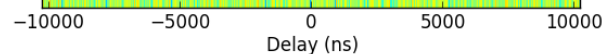
(Fourier Transform of Time-axis)



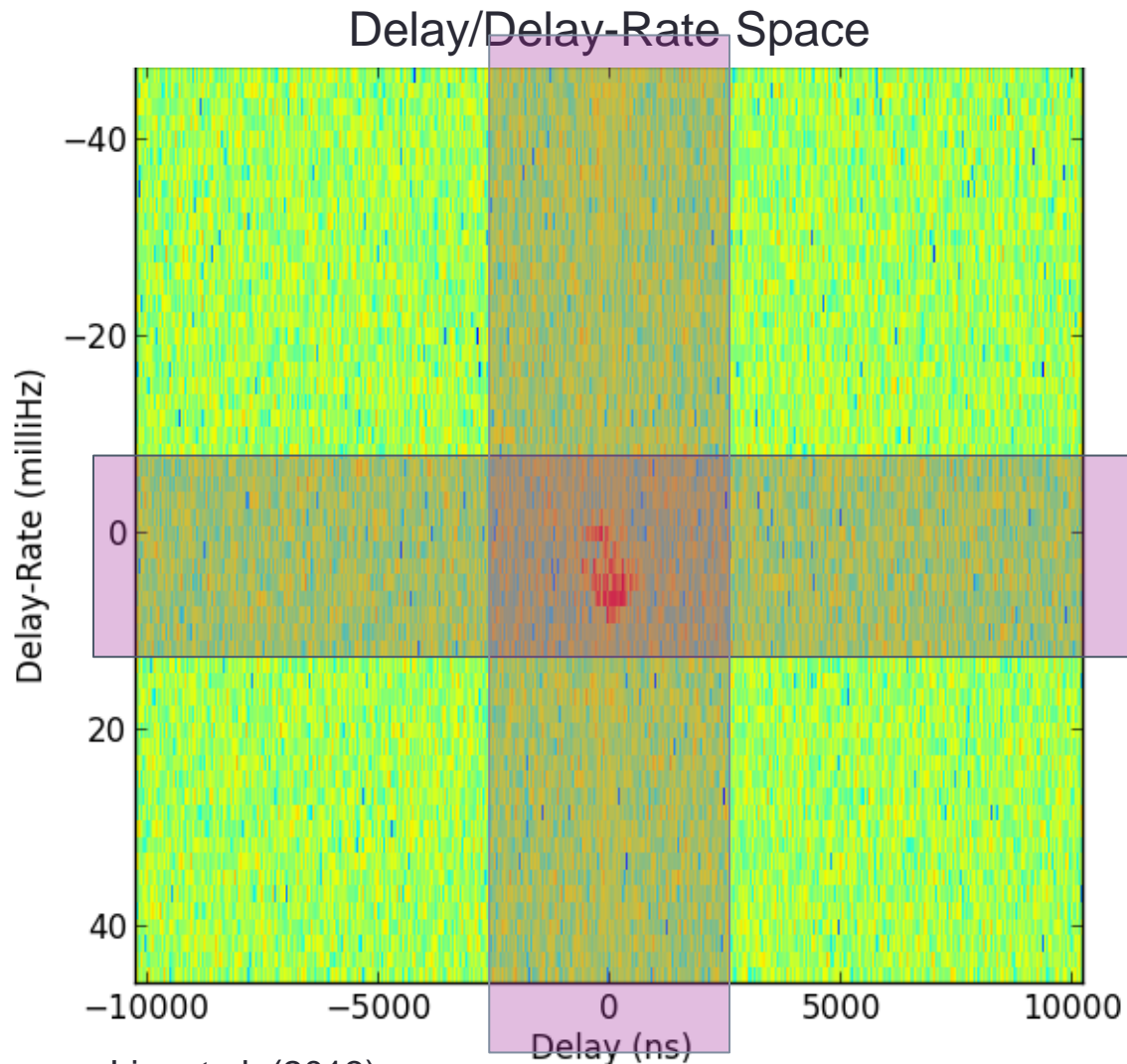
## Fringe-Rate Spectrum of 1 Baseline



## Delay/Delay-Rate Space



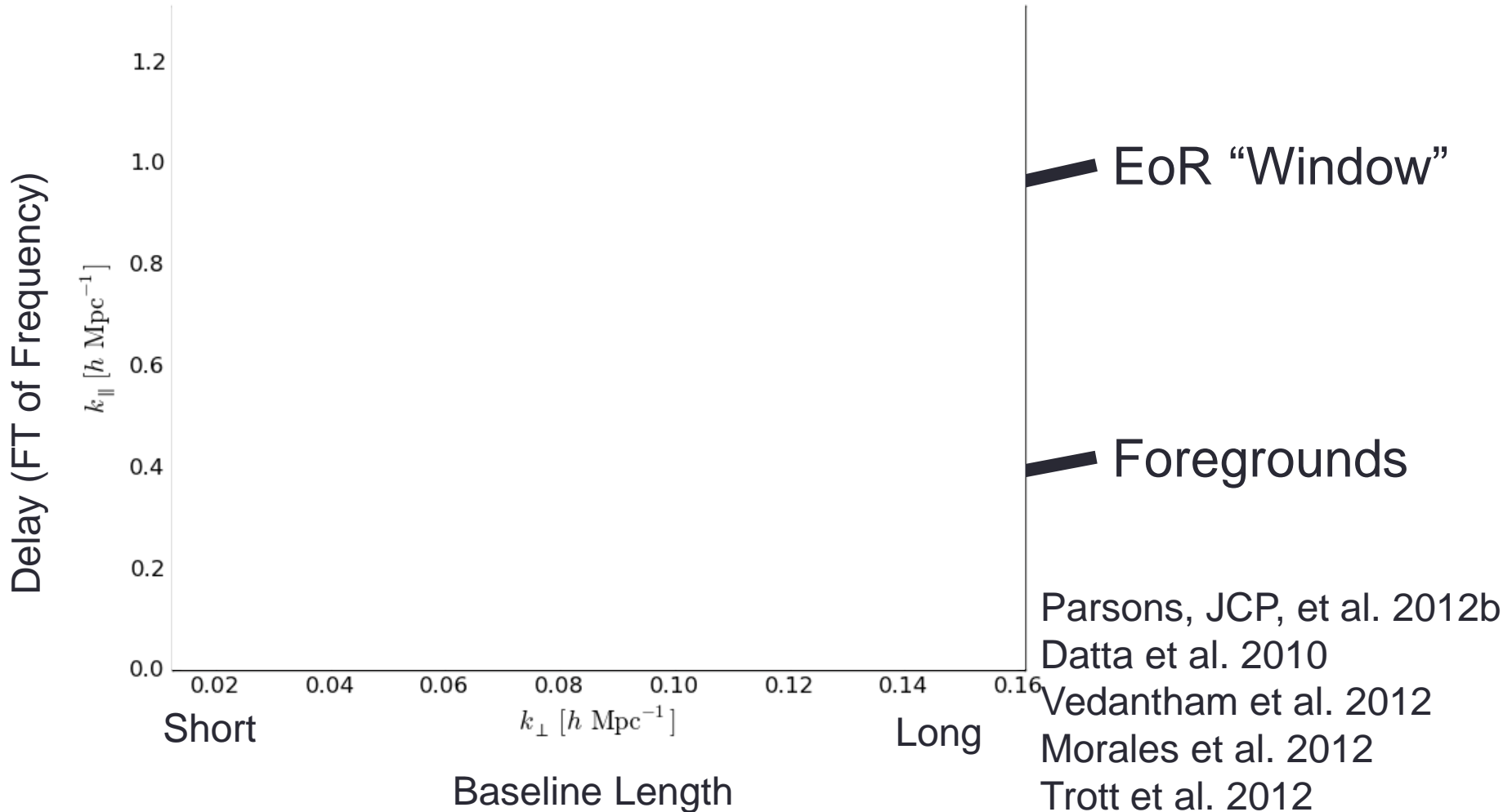
# Data “Compression”



- DDR space divides into regions with delays/delay rates “on” and “off” sky
- Retain only “on” sky portions
- Be conservative with delays (they will be your  $k_{||}$  modes)
- Potential for further benefit by weighting delay rates “on”-sky

# From Delay-Space to P(k)

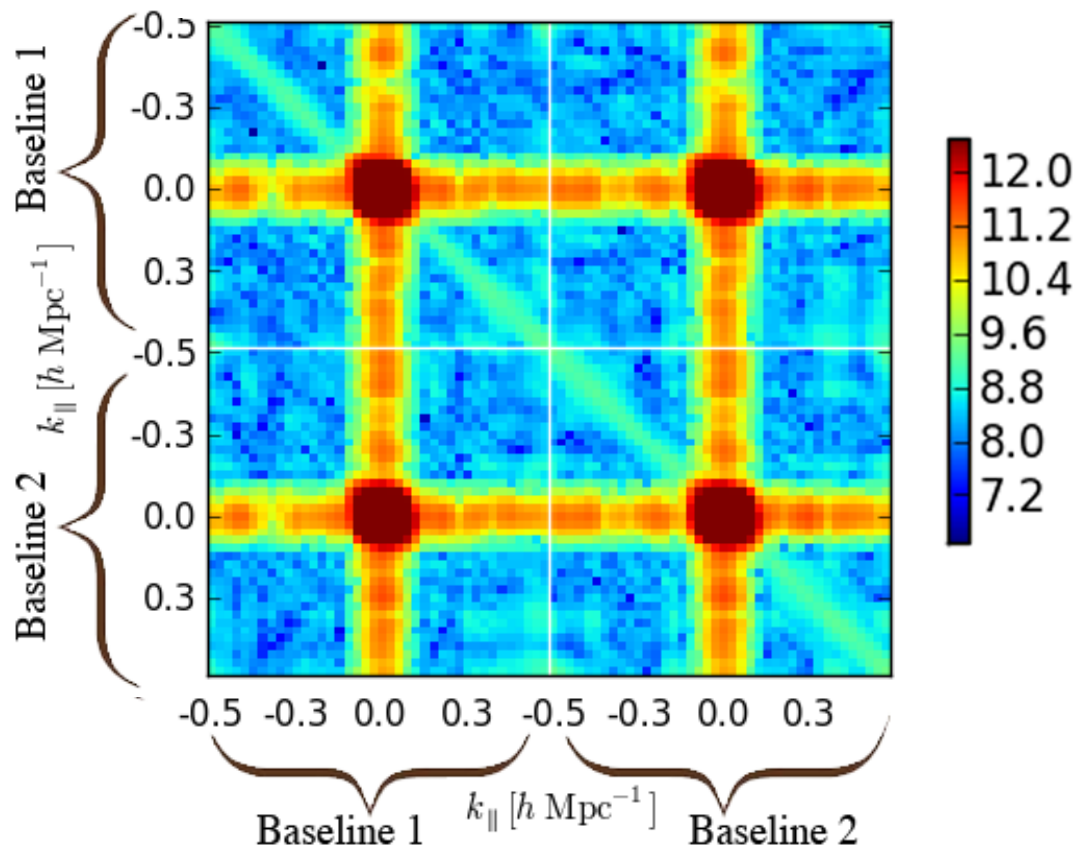
$$P(k_{\parallel}, k_{\perp}) \propto \frac{\left| \tilde{V}(t, |\vec{u}|) \right|^2}{\Delta^2(k_{\parallel}, k_{\perp})} \quad (\text{Parsons, JCP, et al. 2012b})$$



# Cleaning up the Power Spectrum

$$P(k_{\parallel}, k_{\perp}) \propto \left| \tilde{V}(t, |\bar{u}|) \right|^2$$

Covariance Matrix of the Data

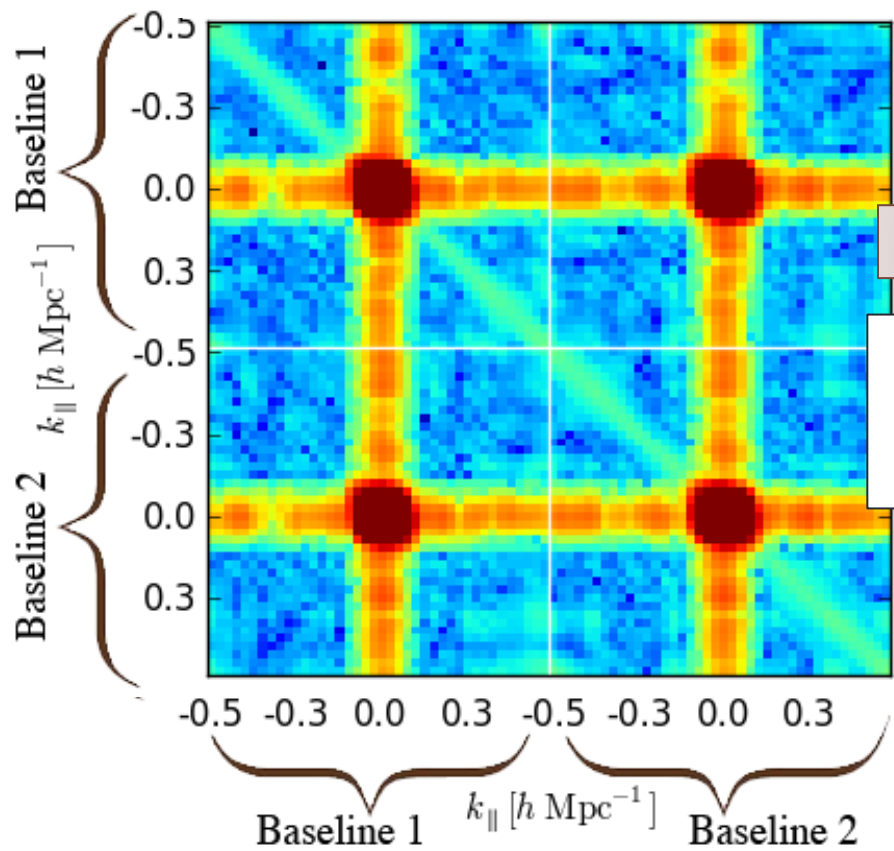


- Cross-multiply redundant, but independent samples
  - Time (JCP, Parsons, et al. 2013)
  - Redundant baselines (Parsons, Liu, et al. 2013)

# Cleaning up the Power Spectrum

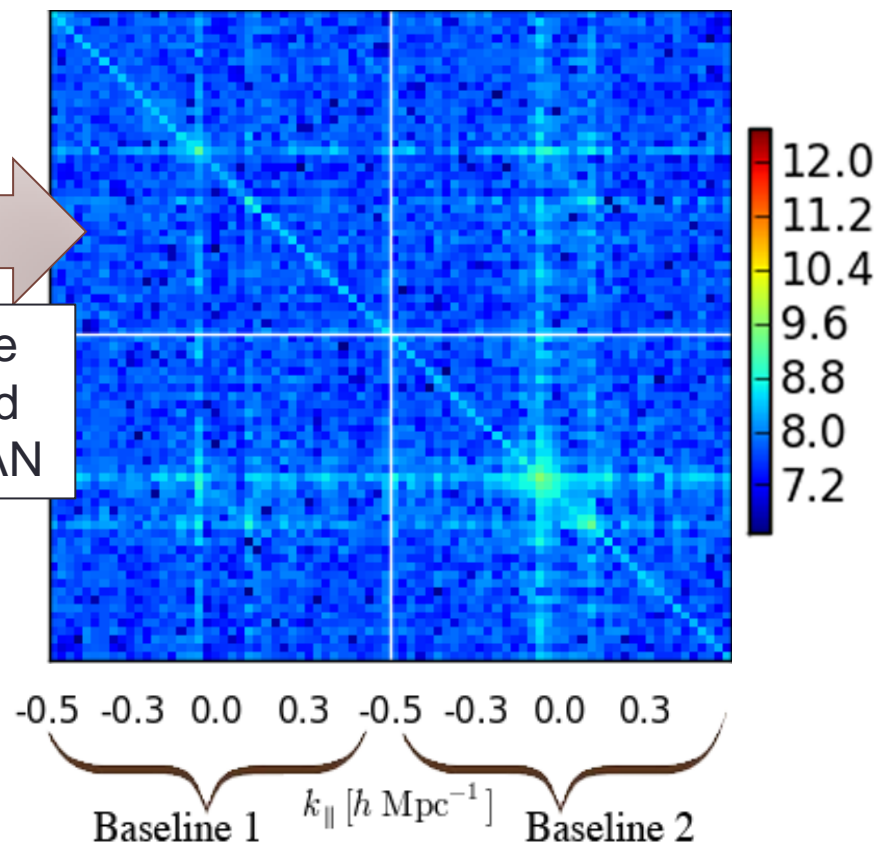
$$P(k_{\parallel}, k_{\perp}) \propto \left| \tilde{V}(t, |\bar{u}|) \right|^2$$

Covariance Matrix of the Data



Wide  
Band  
CLEAN

Parsons, Liu, et al. (2013)

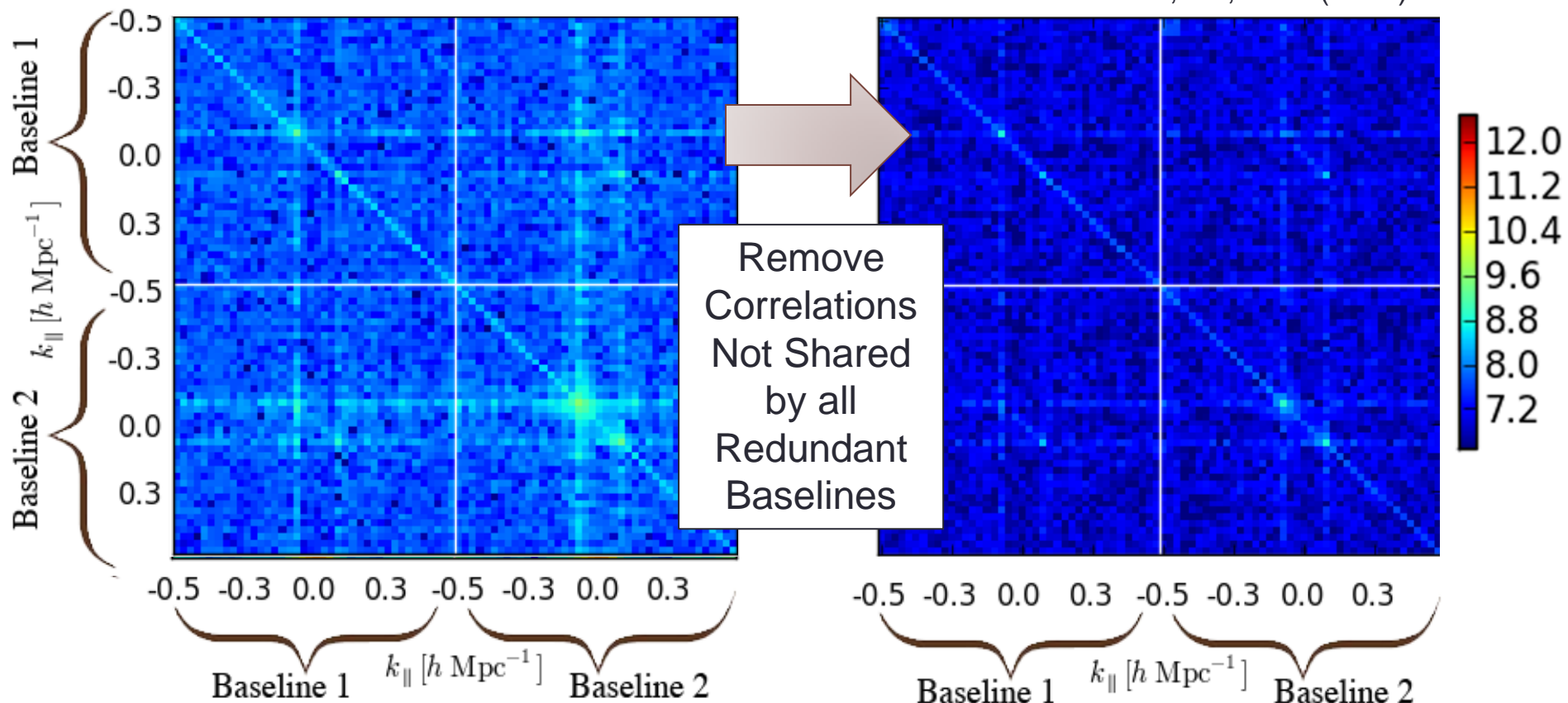


# Cleaning up the Power Spectrum

$$P(k_{\parallel}, k_{\perp}) \propto \left| \tilde{V}(t, |\vec{u}|) \right|^2$$

Covariance Matrix of the Data

Parsons, Liu, et al. (2013)





# The PAPER Approach: Take Home Points

- Redundant baselines
  - Increase power spectrum sensitivity
  - Facilitate calibration
  - Separate residual systematics from sky-signal
- Wide-bandwidth invaluable for foreground CLEANing/modeling
- Forgoing modes within the horizon greatly reduces calibration challenge (see Adrian's talk this afternoon)

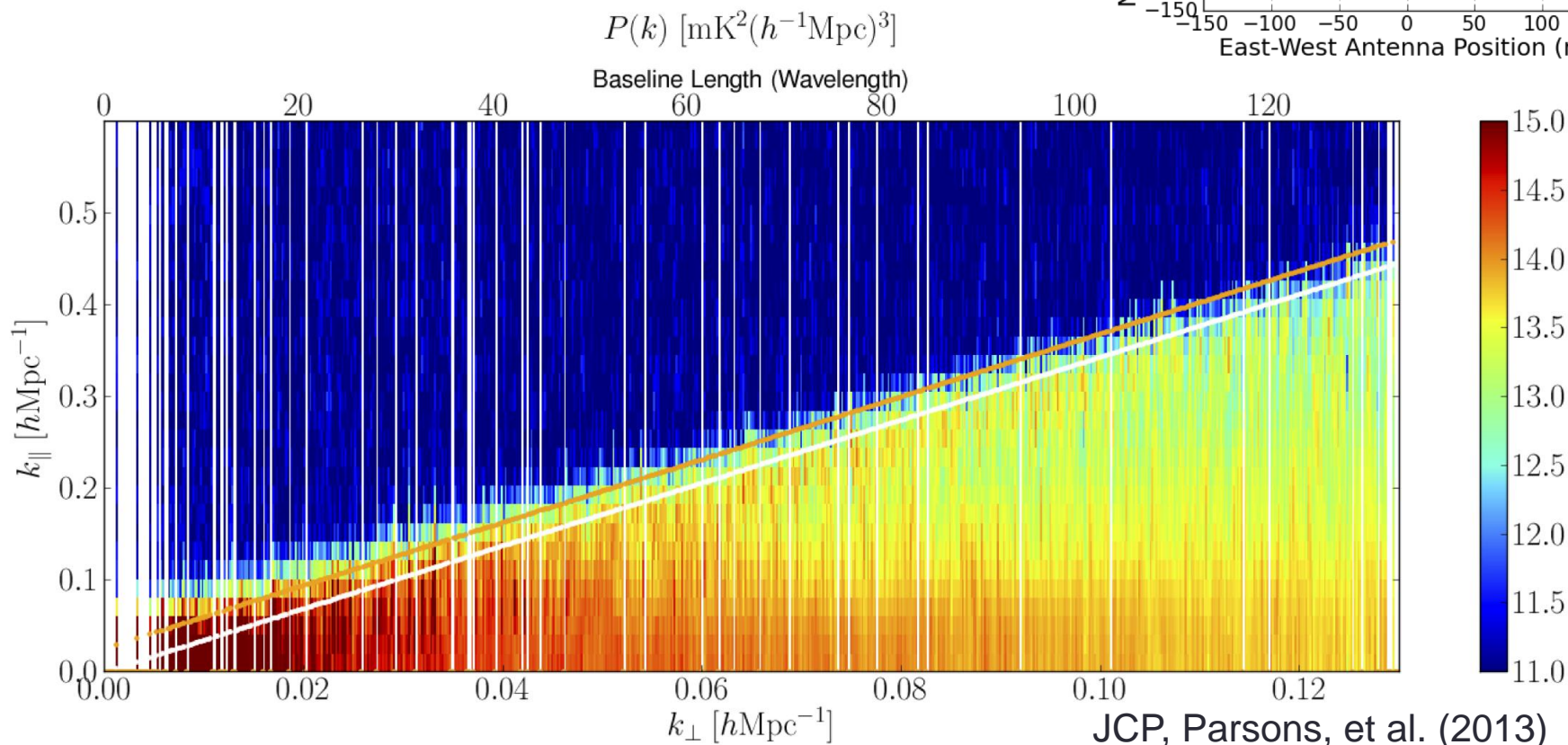
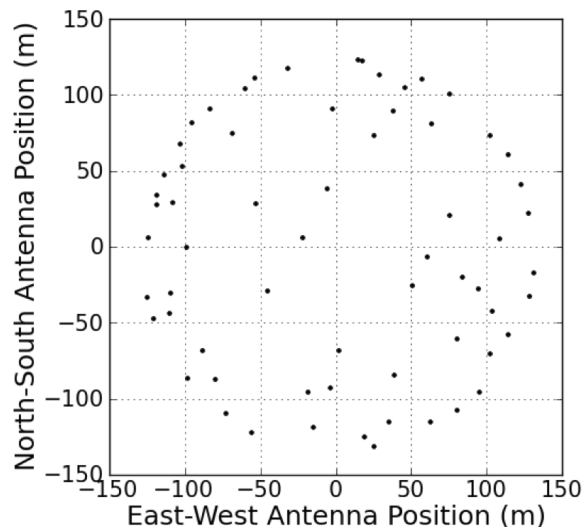


# RESULTS

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# The Wedge

- 4 hours of data from 64-element “imaging” PAPER array in SA
- Power spectra formed from subsequent time samples of each baseline
- Delay spectrum approach yields extremely clean EoR window

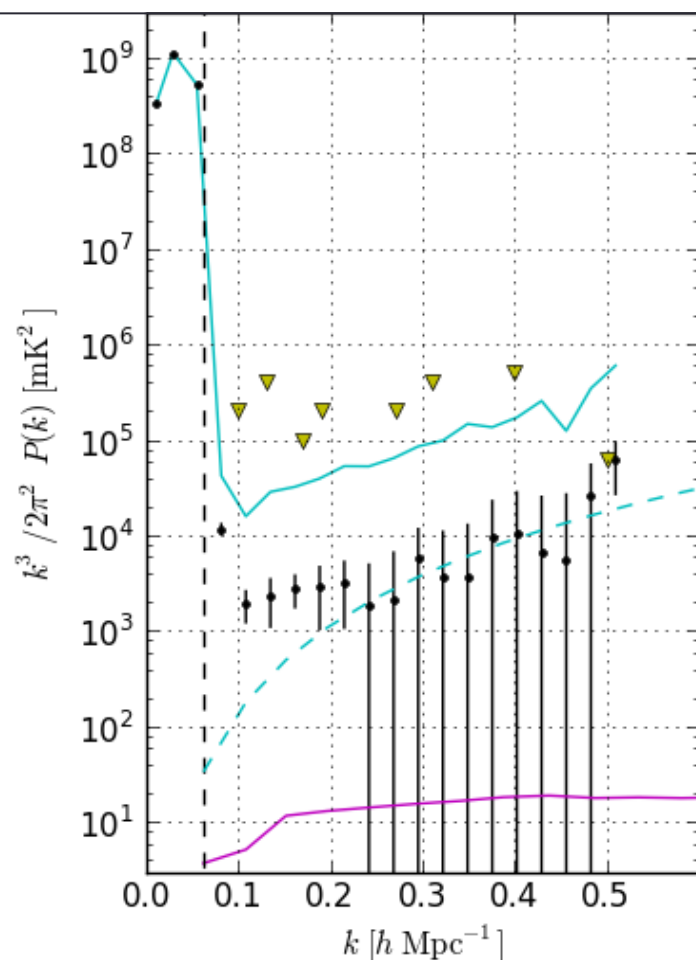


# Long Integration

- 55 days of dual-polarization, 32-element “maximum redundancy” PAPER in SA
- 10 MHz band @ 164 MHz ( $z = 7.7$ )
- 3 baseline “types”
- Systematic limited at the lowest  $k$ 's

## Legend:

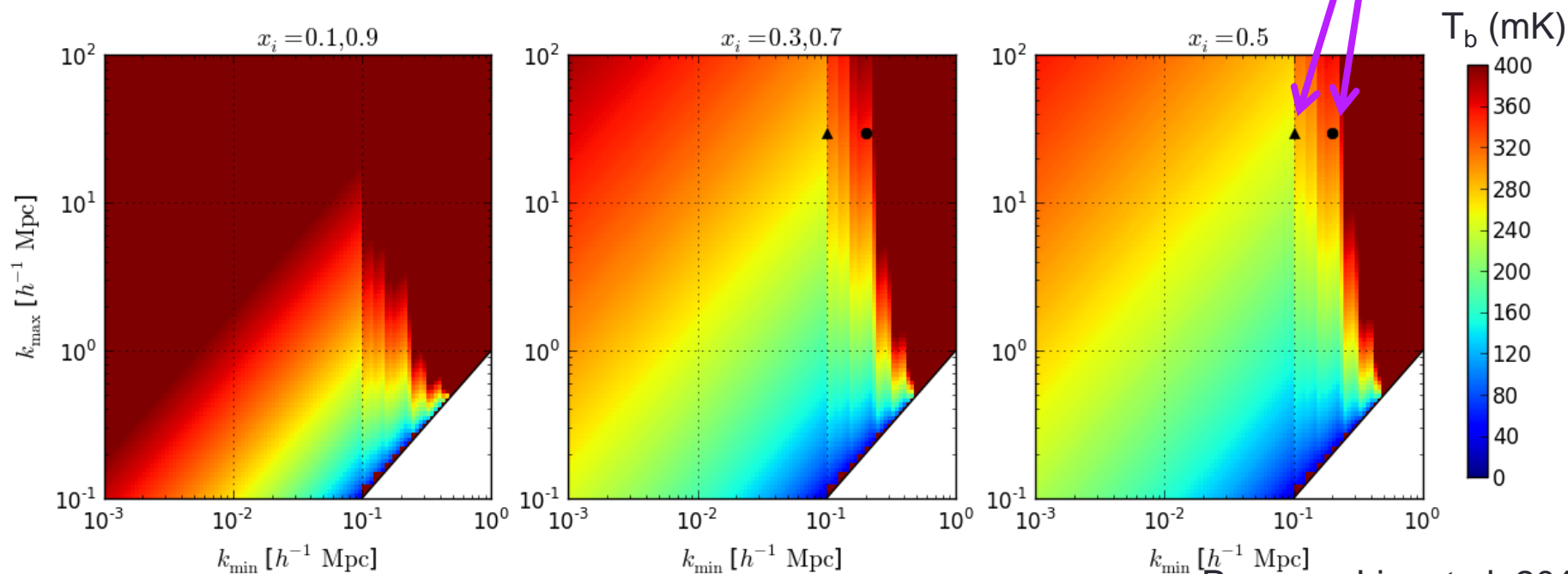
- Final Result
- - Noise Level
- Level Before Removing Systematics
- △ GMRT Results (Paciga et al. 2013)
- EoR Model (Lidz et al. 2008)



# X-Ray Heating

- Power spectrum measurement can constrain gas temperature
- PAPER measurements inconsistent with pure adiabatic cooling of IGM

Fiducial  
reionization  
models



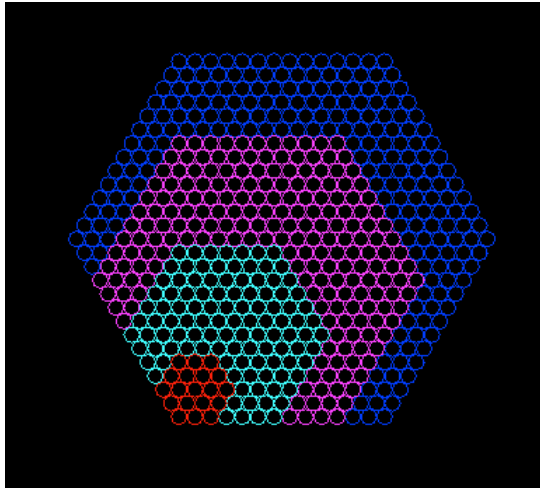
# CONCLUSIONS

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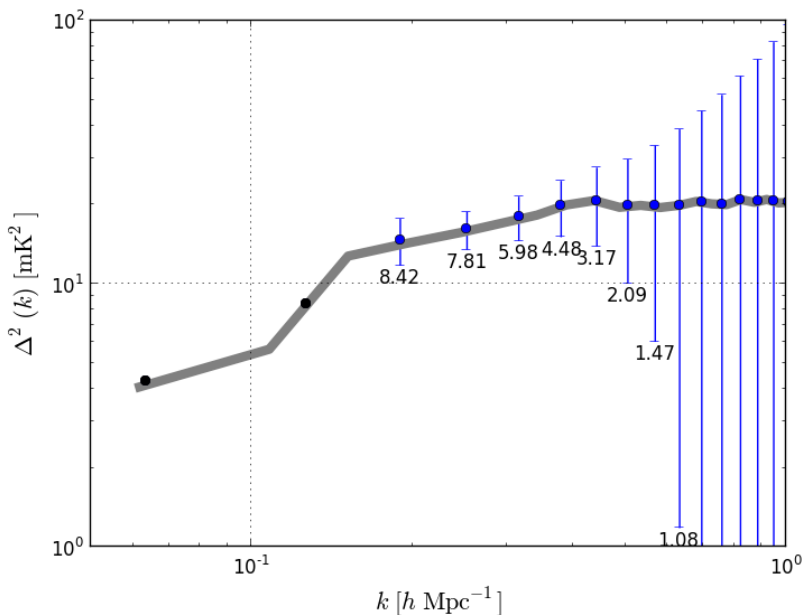
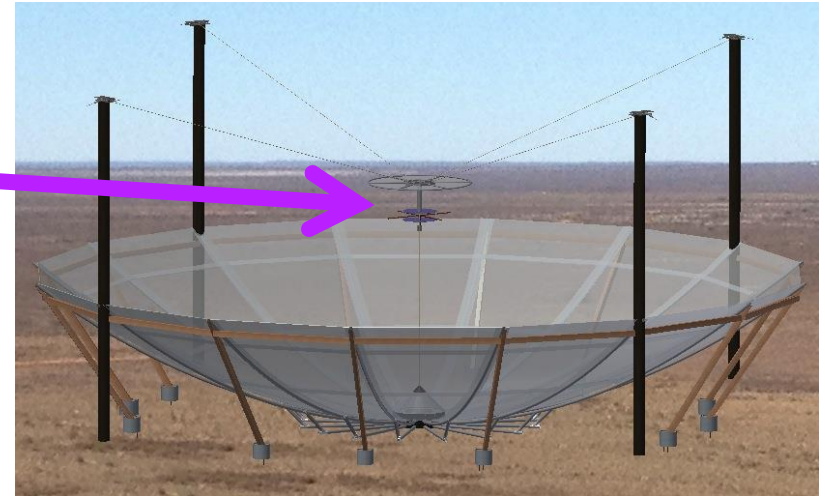
# PAPER Prospects

- New data on disk
    - ~50 more days of PSA-32 x 1 - 2
    - ~120 days of PSA-64 x 2+
  - New deployments
    - PSA-128 beginning observations this fall x 2+
  - New techniques
    - “Aggressive” fringe rate filtering x 3 - 5
      - Increases SNR
      - “Steers” beam N/S, can help with polarization leakage
    - More baselines / earth rotation synthesis x 1.5 - 2
    - Multi-frequency and full-Stokes analyses \_\_\_\_\_
- $\approx x 20 - 80$

# HERA (Hydrogen Epoch of Reionization Array)



PAPER  
Dipole



- 14m reflector design significantly boosts PAPER dipole collecting area, better polarization properties
- Short focal length keeps reflections to delays below k-modes of interest
- 547 element sensitivity (left) opens door to next generation EoR science
- Dense array allows for imaging and advanced foreground removal techniques



THANKS

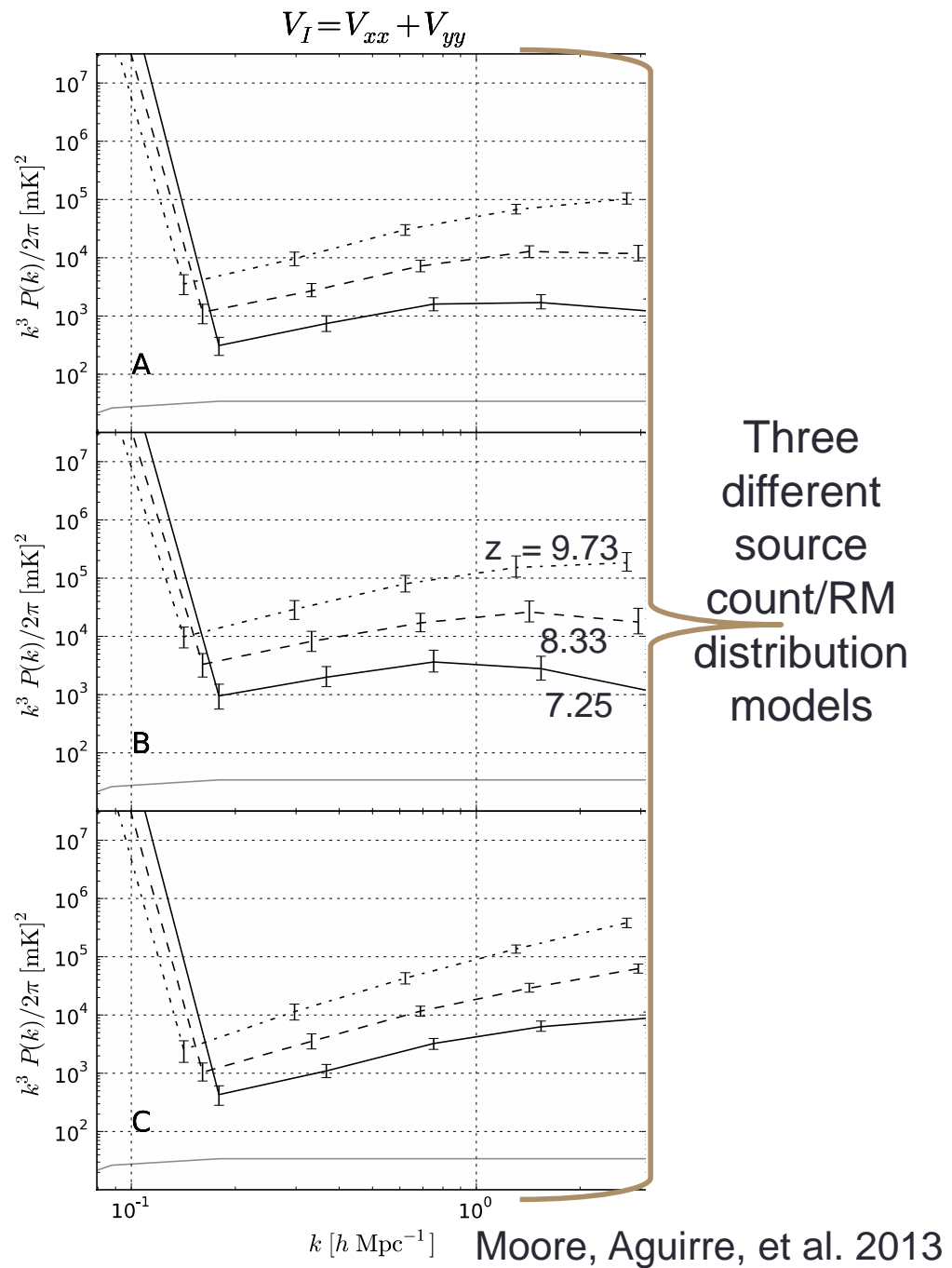
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# EXTRA SLIDES

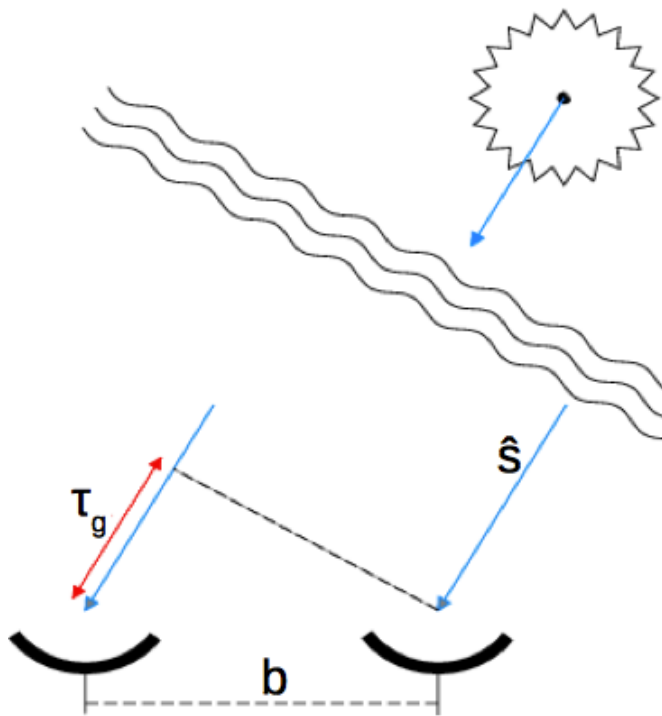
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# Polarization

- PAPER “naïvely” combines linearly polarized *visibilities* to make Stokes I
  - Sparse *uv* coverage prohibits beam correction
- *xx/yy* beam asymmetries create polarization leakage
- Faraday rotated spectra create frequency structure in Stokes I
- Some models approach levels already ruled out by PAPER observations/ Bernardi et al. 2013



# The Delay Transform



$$V(u, v) = \int dl dm A(l, m) I(l, m) e^{-2\pi i(u l + v m)}$$

$$t_g = \frac{\vec{b} \cdot \hat{s}}{c} = \frac{1}{c} (b_x l + b_y m)$$

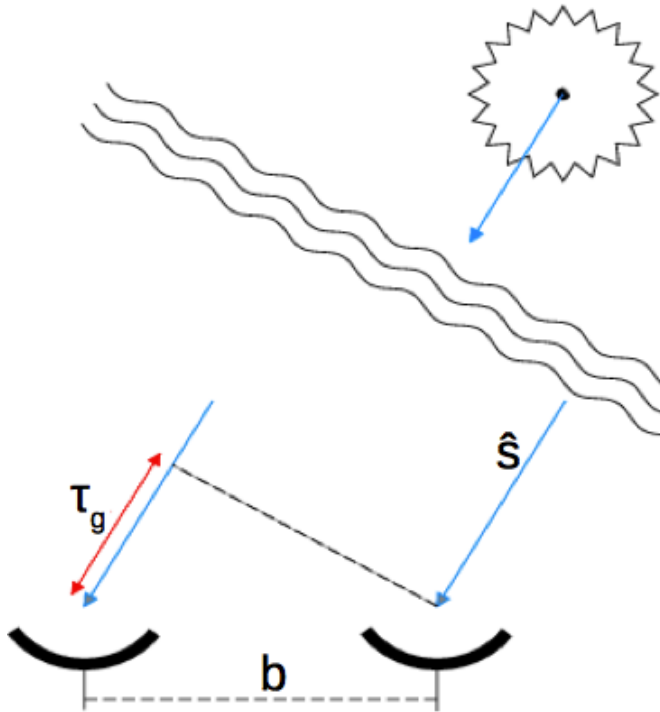
$$\vec{u} = (u, v) = \frac{n \vec{b}}{c}$$

$$V(n) = \int dl dm A(l, m, n) I(l, m, n) e^{-2\pi i n t_g}$$

$$\tilde{V}_b(t) = \int dl dm d n A(l, m, n) I(l, m, n) e^{-2\pi i n (t_g - t)}$$

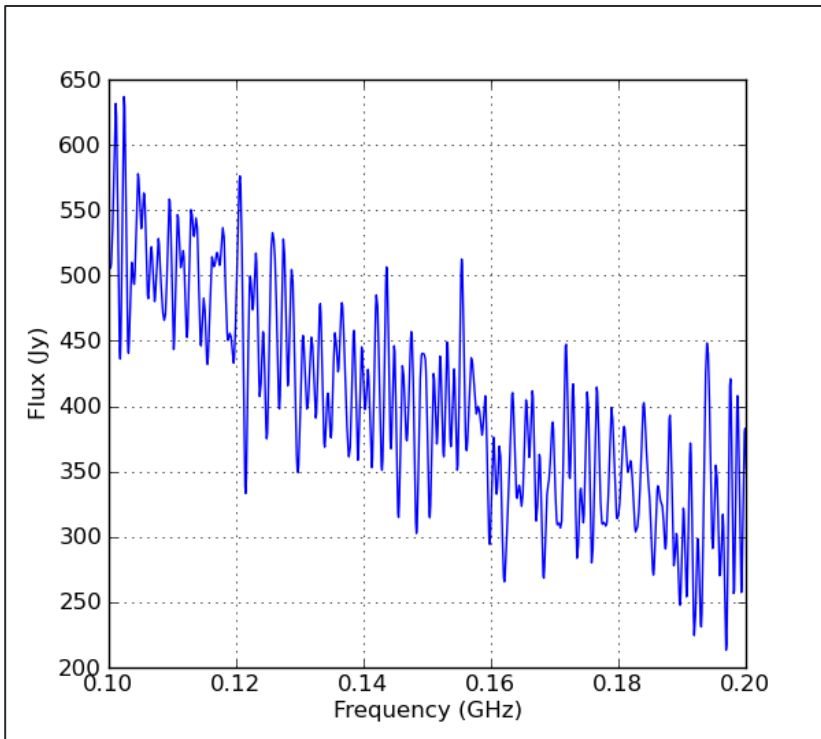
$$\tilde{V}_b(t) = \int dl dm \hat{\otimes} \tilde{A}(l, m, t)^* \tilde{I}(l, m, t)^* d_D(t_g - t) \hat{\otimes}$$

# The Delay Transform

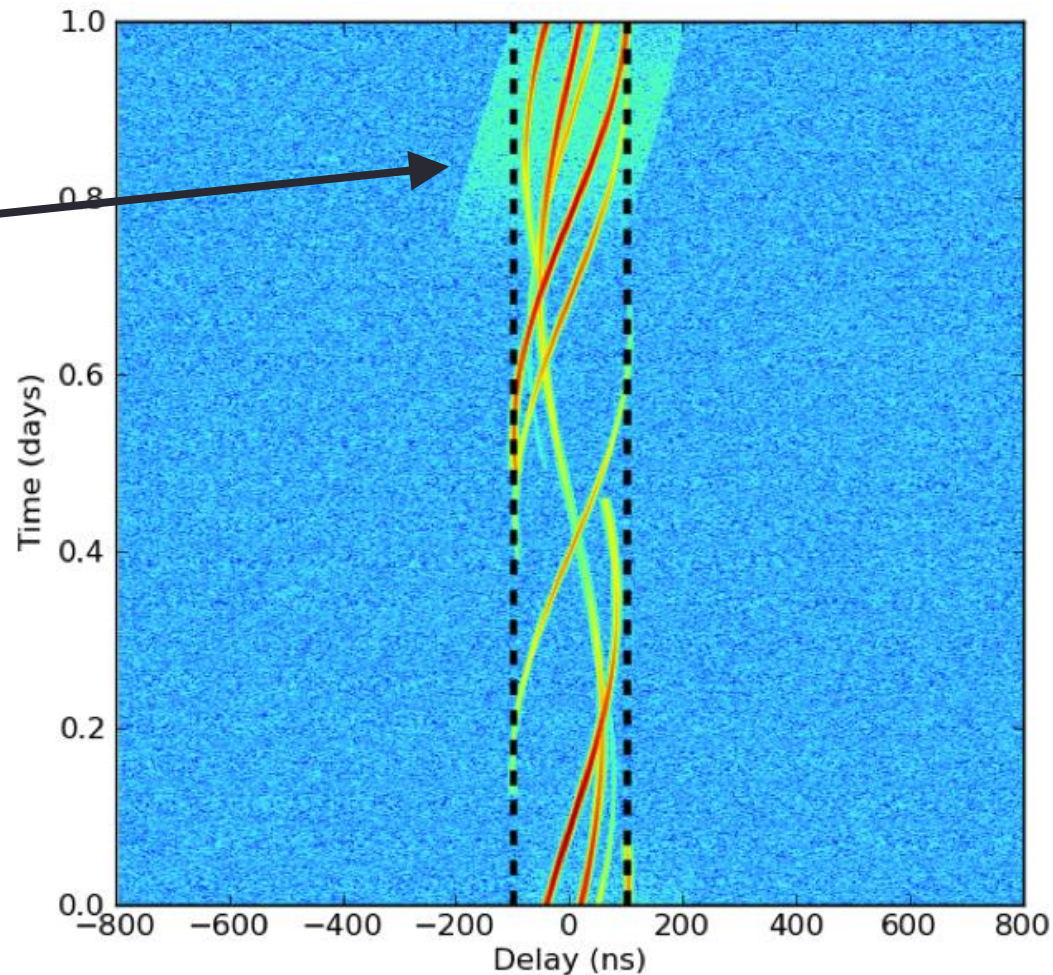


- Fourier transform vs. frequency of one baseline is *delay transform*
- Sources on the sky map to a geometric delay, convolved with a kernel that is the FT of their spectrum
- 1D per baseline “imaging”

# Avoiding Foregrounds in Delay Space



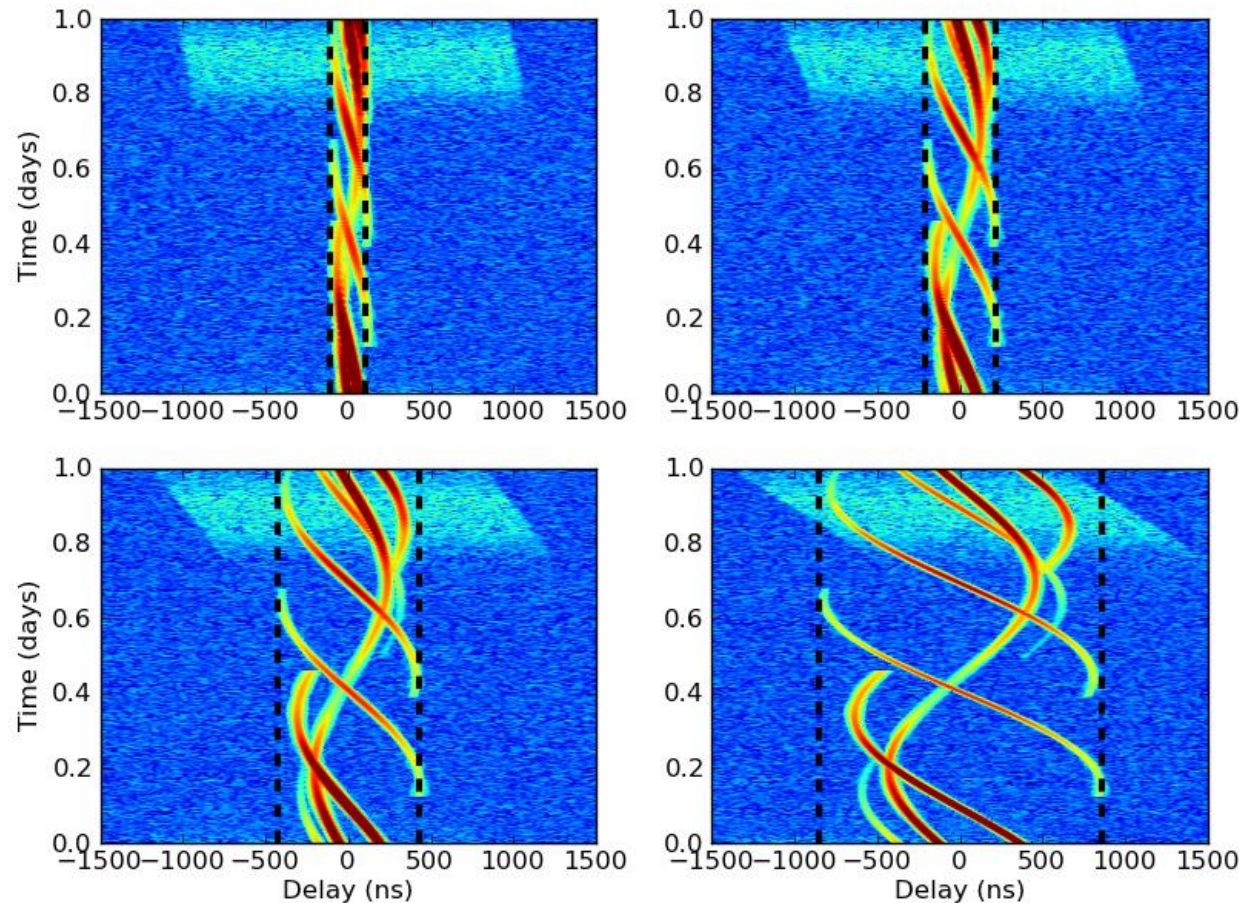
- Horizon imposes **maximum** delay
- Smooth spectrum sources stay within this boundary
- Un-smooth sources have sidelobes that extend beyond horizon



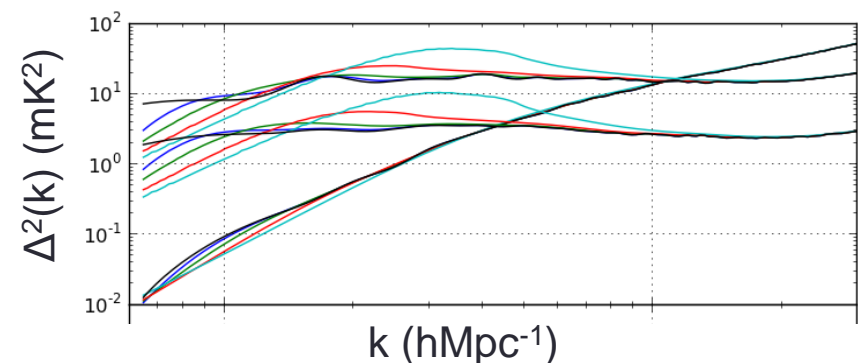
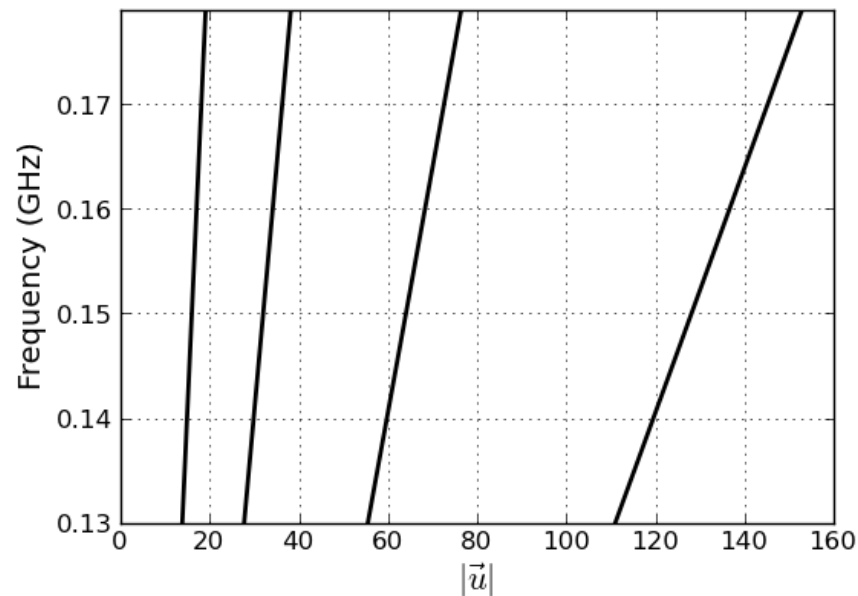


# Avoiding Foregrounds in Delay Space II

- Maximum delay is baseline length dependent
- Shorter baselines can access more of 21cm signal
- Free to maximize number of short baselines!



# Mapping Delay Space to k-space

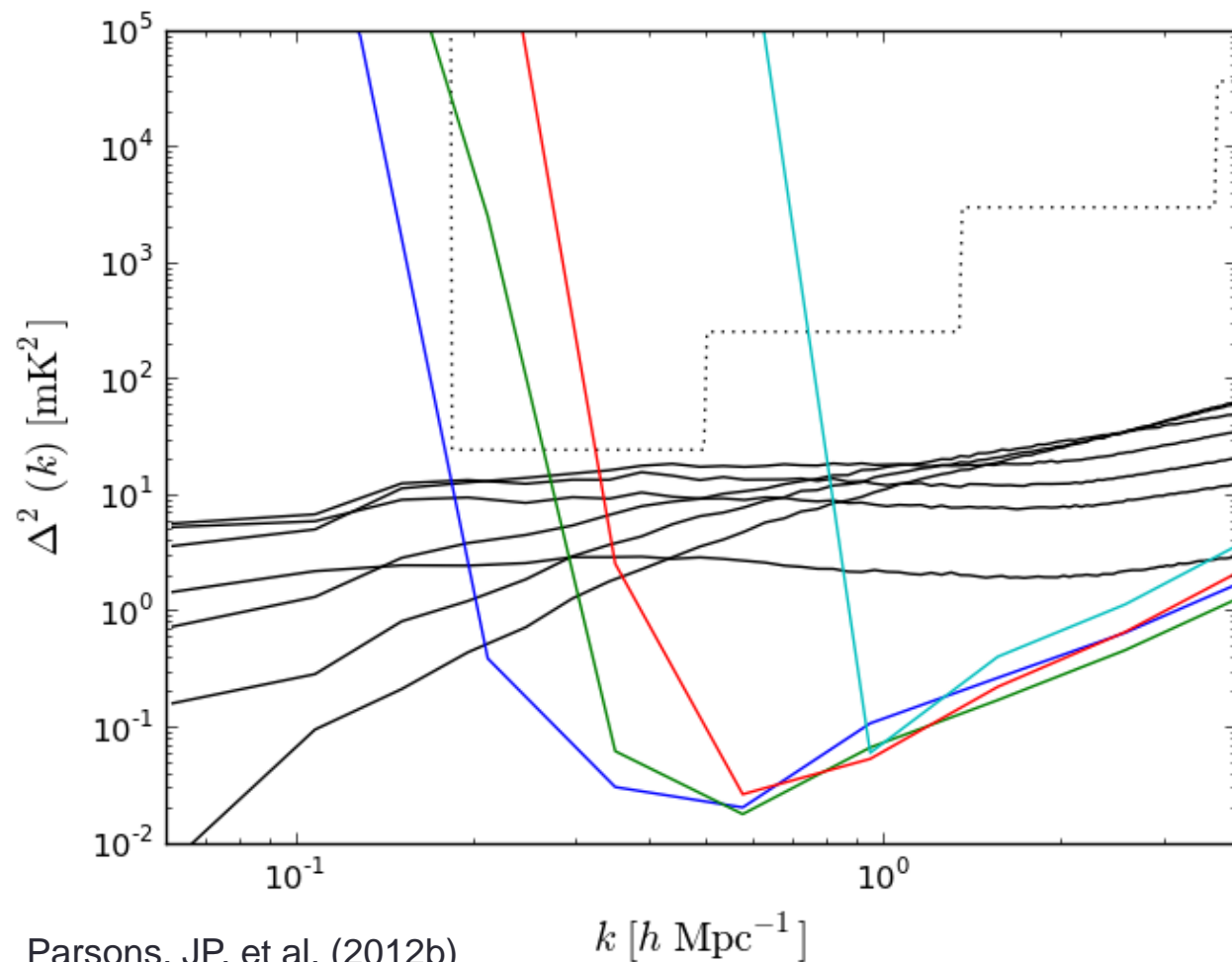


- Delay-space is not a perfect match to cosmological k-space
  - A baseline samples different transverse modes as a function of frequency
- How bad is the effect of “mode-mixing”?
- With short baselines and small-bandwidths, you can get away with it!
  - Short baselines already desirable for foreground isolation
  - Small-ish (8 MHz) bandwidths already necessitated by cosmology

Effect of mode mixing on power spectra measured  $16\lambda$ ,  $32\lambda$ ,  $64\lambda$ ,  $128\lambda$  baseline



# Delay Spectrum Technique: Predictions



## Legend

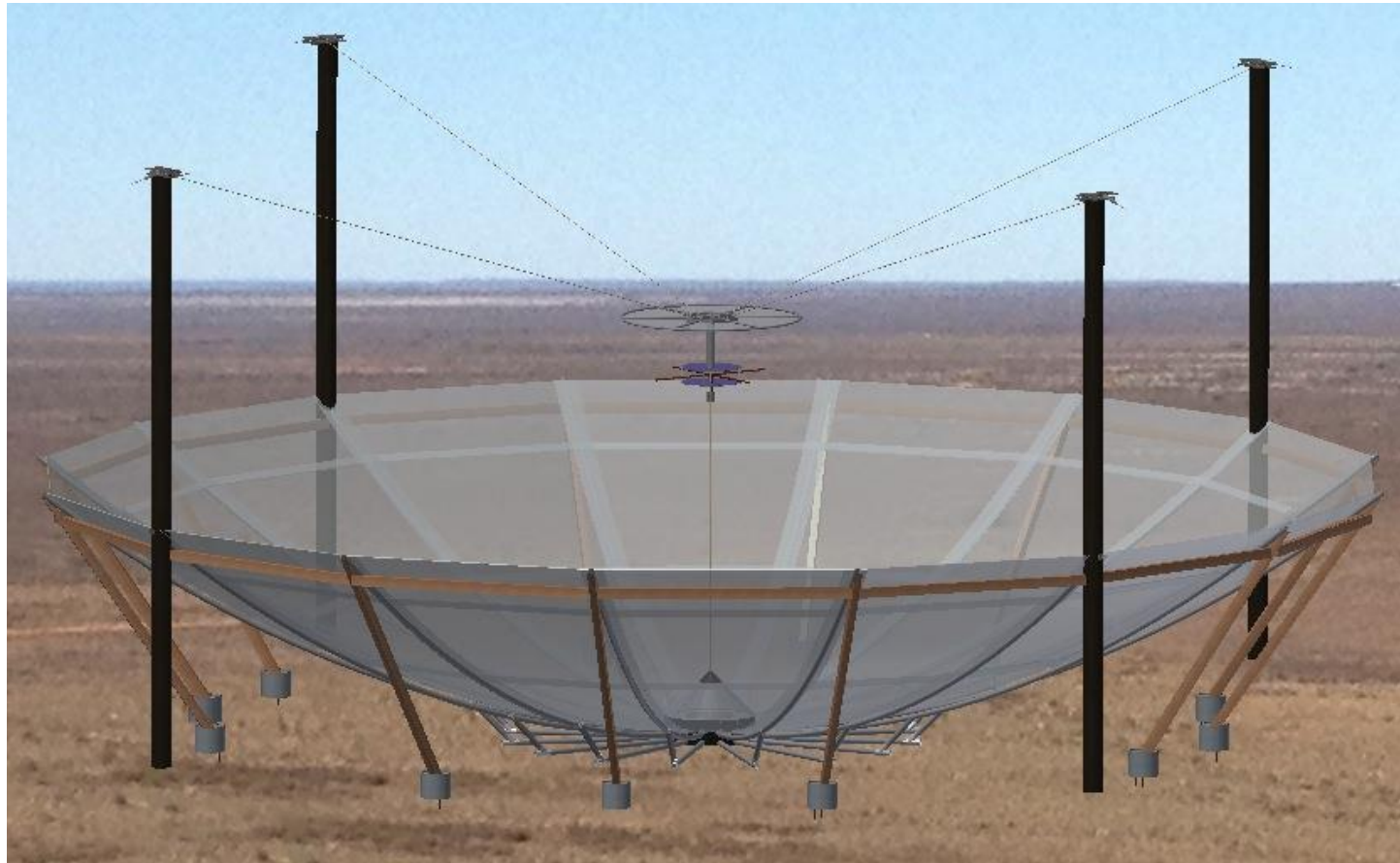
- Dotted: PAPER-128 sensitivity
- Solid black: Lidz et al. 2008 EoR power spectra vs.  $\langle x_i \rangle$
- Solid colors: Maximum k-mode foreground contamination for  $16\lambda$ ,  $32\lambda$ ,  $64\lambda$ ,  $128\lambda$  baseline

# HERA-576 Parameters

Parameter	Value	Units	Description
$N$	576		Number of Antennas
$d$	14	m	Antenna Diameter
$f/d$	0.32		Focal Length (fractional)
$\Omega_P$	0.026	sr	Field of View (power)
$\Omega_{PP}$	0.013	sr	Field of View (power <sup>2</sup> )
$\Omega_{\text{eff}}$	0.052	sr	Field of View (sensitivity)
$B_{\text{samp}}$	0–250	MHz	Sampled Frequency Range
$B_{\text{corr}}$	100	MHz	Correlated Bandwidth
Config.	24 × 24		Square Grid Antenna Configuration
$f/f_0$	$1.5 \cdot 10^5$		Redundancy Metric (Parsons et al. 2012a)
$A$	0.09	km <sup>2</sup>	Total Collecting Area
$\theta$	15	arcmin	Angular Resolution (150 MHz)
$b_{\text{max}}$	500	m	Maximum Baseline
$T_{\text{sys}}$	500	K	System Temperature
$t_{\text{obs}}$	120	days	Observing Time
$t_{\text{day}}$	6	hrs	Observing Time Per Day
$\Delta_N^2$	1.6	mK <sup>2</sup>	Expected Noise Level ( $k = 0.2h \text{ Mpc}^{-1}$ )
$\text{SNR}_{21}$	$11.7\sigma$		Expected Detection Significance (Lidz et al. 2008, $x_i = 0.5$ , 150 MHz)

# The HERA Dish

- 14m diameter, 4.5m focal height, zenith-pointing
- Confines reflections to delays  $< 50$  ns, ensuring smooth frequency response for foreground suppression
- Dish diameter minimizes cost for sensitivity, given the foreground removal specification



# HERA Signal Flow

- Short analog signal chain minimizes reflection timescales
- New CASPER board digitizes 0-250 MHz, hosts correlator F-engine, transmits selected 100-MHz via 10GbE optical links
- 42 GPU-accelerated servers act as correlator X-engines (night) and data compression engines (daytime)

